

Optical solitons and chirality-enhanced nonlinear optical response in frustrated liquid crystals

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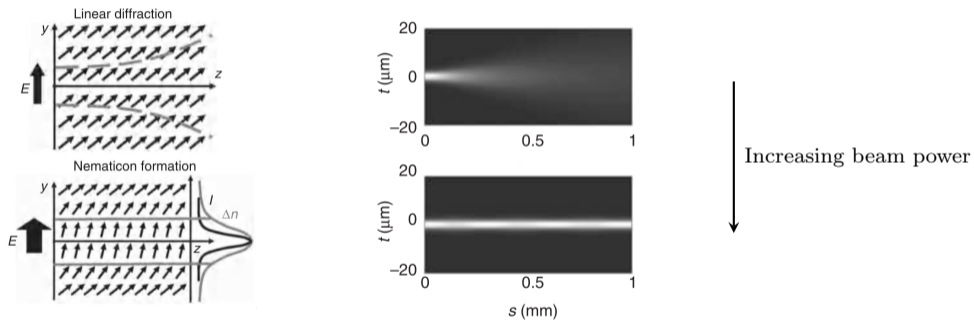


Outline

- 1 Introduction
- 2 Previous study with homeotropic cells
- 3 Simulations of chiral optical solitons in planar cells
- 4 Theoretical results for planar cells
- 5 Conclusion

Motivations

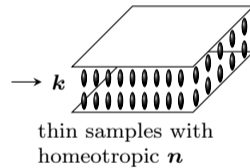
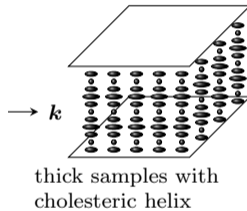
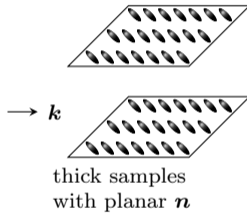
Spatial light solitons in liquid crystals: nematicons



G. Assanto. *Nematicons*. John Wiley & Sons, 2013

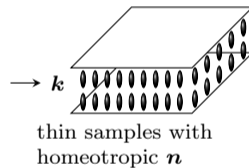
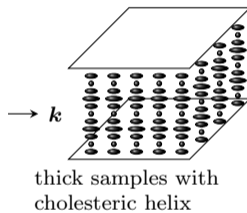
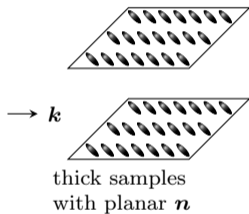
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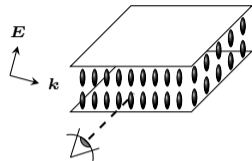


What about confined chiral systems? Can we amplify the optical response with chirality?

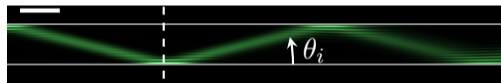
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Our first approach: unwound cholesteric with homeotropic anchoring



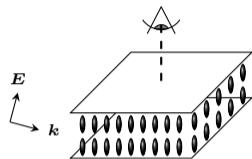
Side slice of beam intensity (simulation):



Side slice of 3PF signal (experiment):



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Top view of the thickness-averaged laser intensity (simulation):

Linear optical regime



Non-linear optical regime

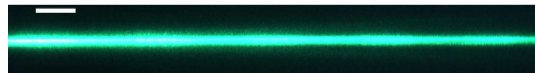


Top view of the scattered laser light (experiments):

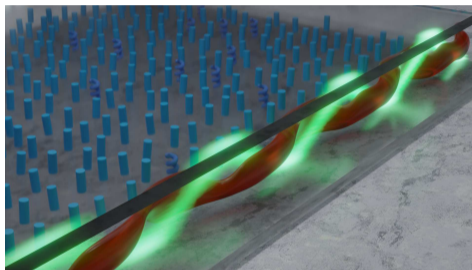
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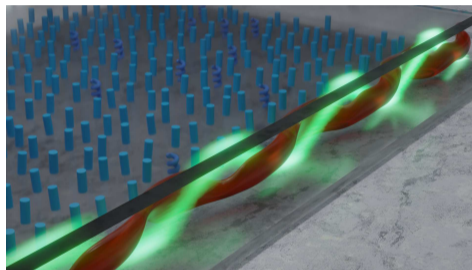


Summary of first approach



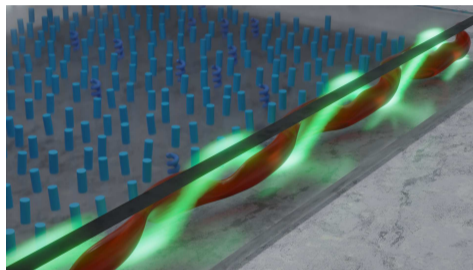
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- Basic mechanism: for a given optical power, the amplitude of molecular reorientation is boosted by the chiral molecules.

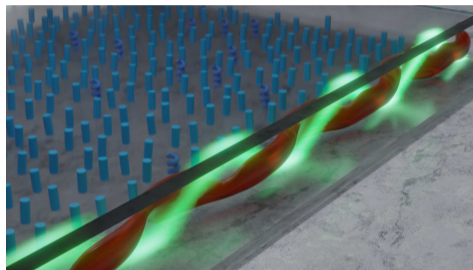
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- Advanced theoretical analysis very difficult because of the complex bouncing pattern of the beam.

G. Poy *et al.*, *Physical Review Letters* **125** (2020)

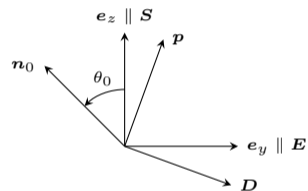
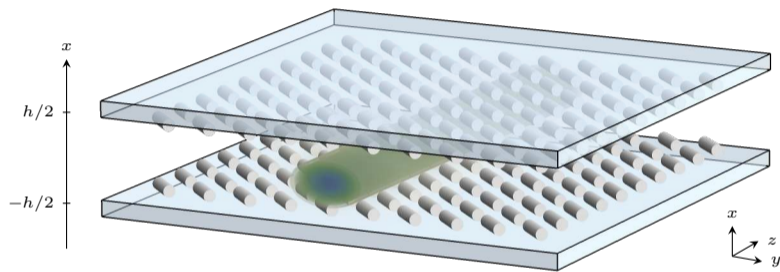
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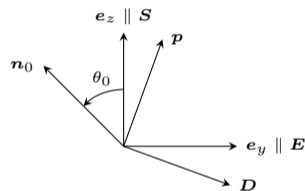
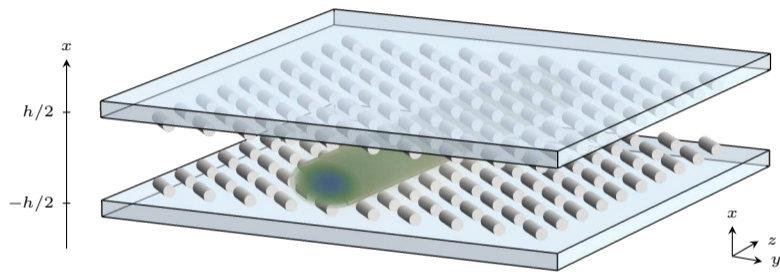
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New approach: unwound cholesteric with planar anchoring



- Control parameter: spontaneous twist $q = 2\pi/P$, with P periodicity of cholesteric helix.
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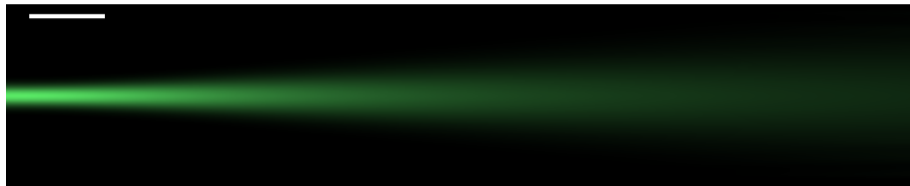
Can we get additional insight in this simpler sample geometry?

Outline

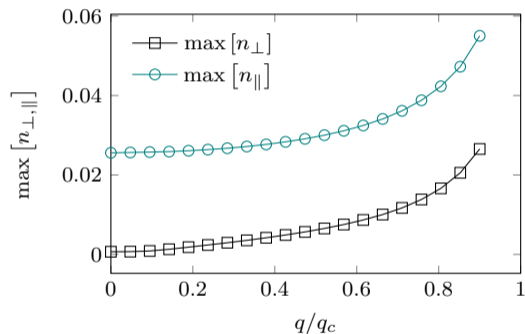
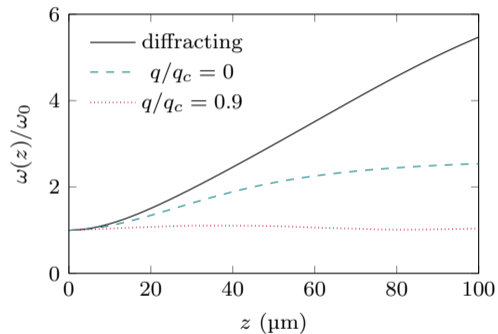
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Simulated self-focused intensity profiles

Vanishingly small power

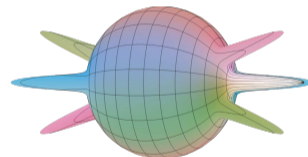
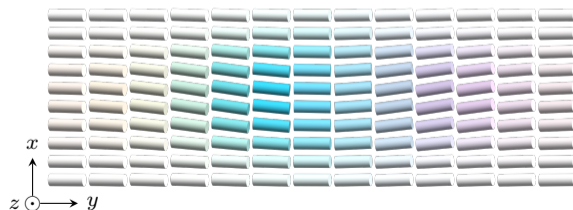
 $P = 3.76 \text{ mW}$, achiral sample ($q/q_c = 0$) $P = 3.76 \text{ mW}$, chiral sample ($q/q_c = 0.9$)

Waist evolution and chirality-enhancement effect



Amplification of nonlinear optical response due to chirality: almost $\times 3$ (higher than in homeotropic cells)

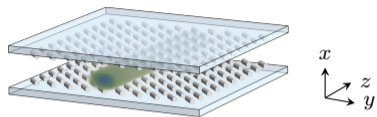
Transverse cross-section of the director field

Achiral sample ($q/q_c = 0$)Chiral sample ($q/q_c = 0.9$)

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(1+1)D effective nonlinear beam propagation model



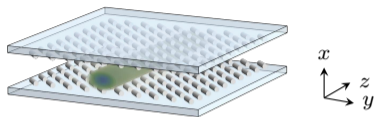
Light fully confined by the plates of the sample:

$$A_y \approx A(y, z) \psi(x, z) \exp \{i\mathbf{p} \cdot \mathbf{R}\}$$

Waveguide mode along x

Amplitude profile along y

(1+1)D effective nonlinear beam propagation model



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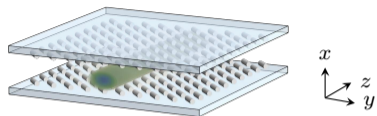
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$$\left[2ip_z \partial_Z + \partial_Y^2 + \frac{2P}{P_0} \Gamma_{\text{eff}} \right] A = 0$$
 - ★ ∂_Y^2 : diffraction.
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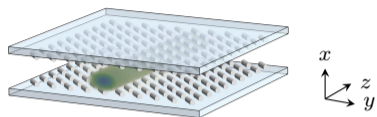
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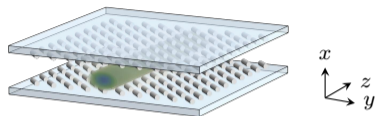
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- Estimation of the power of a fundamental soliton with waist ω_0 :

$$P = \frac{P_0}{k_0^2 \omega_0^4 [-\Gamma_{\text{eff}}''(0)]}$$

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Concluding remarks

Take-home message

Chirality allows to boost the response of frustrated liquid crystals to external fields, and therefore to generate optical solitons at a lower power than in achiral media.

- Experimental implementation: need to avoid π -twisted domains, only keeping the unwound phase inside the LC sample.
- Beyond solitonic science: chirality-enhanced optomechanical manipulation of LC patterns with laser, relevance in spin-orbit interactions, etc.

Thank you for your attention!